TARIM BİLİMLERİ DERGİSİ

— JOURNAL OF AGRICULTURAL SCIENCES 23 (2017) 147-155

TARIM BİLİMLERİ DERGİSİ - JOURNAL OF AGRICULTURAL SCIENCES 23 (2017) 147-155

Tarım Bilimleri Dergisi *Tar. Bil. Der.*

Dergi web sayfası: www.agri.ankara.edu.tr/dergi Journal of Agricultural Sciences

Journal homepage: www.agri.ankara.edu.tr/journal

Structural Analysis of Field Sprayer Booms

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ARTICLE INFO Research Article Corresponding Author: Caner Koc, E-mail: ckoc@ankara.edu.tr, Tel: +90 (312) 596 11 25 Received: 13 October 2015, Received in Revised Form: 28 December 2015, Accepted: 31 December 2015

ABSTRACT

In this paper, structural analysis of a 21 meters wide field sprayer boom, designed for precision agriculture applications, was conducted with finite element analysis. G-programming language, a data acquisition board and an inductive force transducer were used to measure the forces acting on the boom arms. An experimental setup, developed in a laboratory environment, was able to measure and record various forces in 5 miliseconds intervals. An ANSYS model was developed to analyze the forces recorded during laboratory experiments. Steel (SAE/AISI St 42) and aluminum (ISO AlMg2.5) materials for the sprayer boom structure were used in the analyses. Based on the analysis results, using aluminum for active boom suspension system for field sprayers produced more favorable structural results than steel.

Keywords: Transient analysis; Aluminum; Steel; G-Programming; Finite element analysis; ANSYS

Bir Tarla Pülverizatör Bumunun Yapısal Analizi

ESER BİLGİSİ

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ÖZET

Bu çalışmada, hassas tarımda kullanmak amacıyla tasarlanan 21 metre iş genişliğine sahip bir tarla pülverizatör bumunun sonlu elemanlar yöntemiyle yapısal analizleri gerçekleştirilmiştir. Bum kollarına gelen farklı kuvvet değerlerinin ölçümü için G-programı, bir adet veri algılama kartı ve indüktif bir kuvvet algılayıcısı kullanılmıştır. Laboratuvar ortamında geliştirilen deney düzeneği farklı kuvvet büyüklüklerini 5 milisaniye aralıklarla ölçerek kaydedebilecek şekilde hazırlanmıştır. Deneysel olarak elde edilen kuvvet verilerinin analizi için ANSYS ortamında bir model geliştirilmiştir. Analizlerde bum malzemesi olarak çelik (SAE/AISI St 42) ve alüminyum (ISO AlMg2.5) kullanılmıştır. Yapılan denemelerde elde edilen sonuçlara göre, aktif bum dengelemesi için alüminyum malzemenin yapısal olarak çeliğe göre daha iyi olduğu sonucuna varılmıştır.

Anahtar Kelimeler: Süreksiz analiz; Alüminyum; Çelik; Grafiksel programlama; Sonlu elemanlar; ANSYS

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1. Introduction

Most of the machines used for agricultural operations are subjected to vibrations and oscillations due to irregular field conditions. Due to their large working widths, field sprayers are usually exposed to extreme vibrations and oscillations during field operations (Koc & Keskin 2011). Among the main reasons for non-uniform distributions of pesticides applied by field sprayers are the presence of oscillations and vibrations on the boom (Hedden 1961). The large working width and the vibration of field sprayer booms result in uneven clearance heights between the field sprayer boom and the field surface (Çilingir & Çelen 1995). To maintain a uniform pesticide distribution, an appropriate distance between the sprayer boom and the agricultural field surface must be maintained throughout the spraying operation (Pochi & Vannucci 2001; Jeon et al 2004).

In order to reduce fuel consumption and time during spraying, field sprayers with large working widths are used. However, as the width of the sprayer increases, the weight of the boom also increases. A 36 meters wide sprayer boom made of steel weighs approximately 1155 kilograms, whereas a similar boom with the same width made of aluminum weighs 770 kilograms. As in aviation industry, carbon fiber is becoming a more preferred material than steel or aluminum because of weight saving. A 36 meters wide sprayer boom made of carbon fiber weighs only 385 kilograms (Anonymous 2015a). However, the high cost of carbon fiber is the major factor limiting its use in field sprayers and other agricultural equipment.

Steel and aluminum are the most commonly used structural materials in agricultural machinery. Due to the higher resistance and relatively lower costs, steel materials are widely used in the sector. In the meantime, aluminum is also becoming a commonly used material in agricultural machinery because of its weight (Herrington & Latorre 1998; Lamb et al 2011).

When aluminum and steel are compared, aluminum is lighter, and has higher corrosion and temperature resistances than steel. However, aluminum is more expensive, has lower yield and tensile strengths, and lower fracture resistance than steel. The cost of steel, on the other hand, is inexpensive and has better welding and machining properties than aluminum (Kasten 2010).

Finite element analysis can be implemented to analyze the strength of a structure. Using finite element analysis, a structure's vibration response and factor of safety can be obtained very close to the real values in a short time (Moaveni 2007; Chu & Lei 2014) identified that the theoretical finite element analysis results of a boom structures were close to the results of experimental analysis.

In this study, the sprayer boom characteristics were determined with mechanical analysis. A model of the boom was then manufactured based on the results of mechanical analysis. The critical points of failure of the boom system were identified by using an electro-hydraulic simulation in laboratory conditions. The critical values were measured with sensors and a data acquisition system. A computer program was developed in Labview G-programming language for this research. Finite element analysis was carried out in ANSYS software based on the data collected with laboratory experiments. The model then was used for testing different materials for the sprayer boom structure. Two boom materials, steel SAE/AISI St 42, and aluminum ISO AlMg2.5 were tested with the developed model. Finally, the outputs of the model were compared with the results obtained from laboratory experiments.

2. Material and Methods

2.1. Materials

2.1.1. Field sprayer boom for laboratory experiments

A prototype field sprayer boom was manufactured for this research. The working width of the field sprayer was 21 meters with three major sections. Left and right sides of the boom were 9 meters long and the center was 3 meters wide. The boom was designed in a way that the left and right sections of the boom could move independently. The boom

sections were manufactured from 3 meters long and 40x60x3 millimeters in cross-sectional dimensions of aluminum profile. The different motions of the boom sections were controlled using hydraulic cylinders. Two lifting cylinders were used to

maintain the distance between the ground surface mannum the unstance between the ground standed
and each side of the boom, and one hydraulic cylinder was used to move the whole structure vertically (Figure 1). mamiam me dis

Figure 1- The sprayer boom structure used for the experiments *Şekil 1- Denemelerde kullanılan pülverizatör bumunun yapısı*

2.1.2. Load measurement set-up

An inductive force transducer and an NI 6009 data acquisition card were used for load measurements. A 30 millimeter diameter hydraulic cylinder was designed to mount and dismount the force transducer at the center of the field sprayer (Figure 2). The piston rod of the hydraulic cylinder was working as an inductive force measurement tool as well as a connecting part. The measurement set up was used to measure the upward and downward loads.

Figure 2- Load measurement set-up *Şekil 2- Kuvvet ölçüm düzeneği*

2.1.3. Data acquisition

For data acquisition process, a graphical program was developed by using LABVIEW 8.2. The developed G-program facilitates the collection and recording of the inductive load data with the help of an NI 6009 data acquisition card to a personal computer. The inductive force measurements were computer. The matterive force measurements were displayed both in graphical and numeric indicators on the computer screen. aspiayed both in graphical and humeric mulcators displayed both in graphical and numeric indicators on the computer screen. $\frac{1}{2}$ degree process and process a graphical program was developed $\frac{1}{2}$

2.2. Method 2.2. Method 2.2. Method

2.2.1. ANSYS finite element formulation 2.2.1. ANSYS finite element formulation 2.2.1. ANSYS finite element formulation

2.2.1.1. Static analysis 2.2.1.1. Static analysis 2.2.1.1. Static analysis

The static mathematical formulas in the ANSYS *2.2.1.1. Static analysis* program which are valid for all degrees of freedom program which are vand for an degrees or necdom
are given in Equation 1 and 2. The effects of inertia and damping effects were neglected except for static and damping effects were neglected except for static acceleration fields (Anonymous 2015b). (Anonymous 2015b). are given in Equation α acceleration fields (Anonymous 2015b).

$$
[K]\{u\} = \{F\} \tag{1}
$$

$$
[K]\{u\} = \{F^a\} + \{F^r\} \tag{2}
$$

 \overline{N}

$$
[K] = Total stiffness matrix = \sum_{m=1}^{K} [K_e]
$$

Where; {*u*}, nodal displacement vector; *N*, number of elements; [*Ke*], elements stiffness matrix; {*Fr*

Where; $\{u\}$, nodal displacement vector; *N*, Transformation matrix is shown in Equation 9. number of elements; $[K_e]$, elements stiffness matrix; $[U_{1x}]$ $[-\sin(\theta) \cos(\theta)]$ ${F^r},$ reaction load vector; ${F^a},$ total applied vector.

Total applied vector defined in Equation 3. Total applied vector defined in Equation 3. ${F^r}$, reaction to Total applied vector.

 ${F^a} = {F^{nd}} + {F^{ac}} + \sum_{m=1}^{N} ({F_e^{th}} + {F_e^{pr}})$ (3)

 ${F}^{\text{ac}}$ = - $[M]$ { a_c }, acceleration load vector; [*M*], $[x]$, $[x]$ $[x]$ (*x*) matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; matrix; ma total mass matrix; $\{a_c\}$, total acceleration vector; $\{F\} = [T][f]$ Where; $\{F^{nd}\}$, applied nodal load vector; the Equation 10-12. ${F_e}^t$ total mass matrix; $\{a_c\}$, total acceleration vector; $\{F\} = [T] \{f\}$
 $\{F_e^{th}\}$, element thermal load vector; $\{F_e^{pr}\}$, element The relations between the ressure load vector.
The nodel displacements for one member o pressure load vector.

The nodal displacements for one member of the $F = K X$ boom structure are obtained as shown in Figure 3.

Figure 3- Static mode displacements of one member of the boom

Şekil 3- Bum üzerindeki bir noktanın static mod yer değişimi

X-Y axis in Figure 4 indicates the global coordinate system, and *x-y* indicates the local coordinate system. The angle between the element member and the horizontal plane is shown with θ . The displacements at two nodes (node 1 and node 2) are shown in both coordinate systems. The global displacements (*U*) are related to the local displacements (*u*) determined from the Equation 4-8.

$$
U_{IX} = -u_{Ix} \sin(\Theta) + u_{Iy} \cos(\Theta) \tag{4}
$$

$$
U_{IY} = u_{Ix} \sin(\theta) + u_{IY} \cos(\theta) \tag{5}
$$

$$
U_{2x} = u_{2x} \cos(\theta) + u_{2y} \sin(\theta) \tag{6}
$$

$$
U_{2Y} = -u_{2x} \cos(\theta) + u_{2y} \sin(\theta) \tag{7}
$$

$$
\{U\} = [T] \{u\} \tag{8}
$$

Where; *T*, transformation matrix.

Transformation matrix is shown in Equation 9. Transformation matrix is shown in Equation 9.

{U} = [T]{u} (8)

$$
[U] = \begin{bmatrix} U_{1x} \\ U_{1y} \\ U_{2x} \\ U_{2y} \end{bmatrix}, [T] = \begin{bmatrix} -\sin(\theta) & \cos(\theta) & 0 & 0 \\ \sin(\theta) & \cos(\theta) & 0 & 0 \\ 0 & 0 & \cos(\theta) & \sin(\theta) \\ 0 & 0 & -\cos(\theta) & \sin(\theta) \end{bmatrix}, [u] = \begin{bmatrix} u_{1x} \\ u_{1y} \\ u_{2x} \\ u_{2y} \end{bmatrix}
$$
(9)

 ${pr \choose r}$ (3) The reaction force values were calculated using $\frac{1}{2}$ **f** *f f f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f* $\frac{1}{2}$ *f*

$$
\{F\} = [T]\{f\} \tag{10}
$$

 $\frac{f}{f}$, element thermal load vector; $\{f_e^*\}$, element The relations between the node forces and the \mathbf{A} is related to the property of the material given by Equation 13. displacements are similar to a linear spring.

$$
F = KX \tag{11}
$$

$$
\{f\} = K\{u\} \tag{12}
$$

K is related to the property of the material given by Equation 13.

$$
K = A \cdot E \cdot L^{-1} \tag{13}
$$

Where; *A*, cross sectional area; *L*, length and *E*, modulus of elasticity of the element member.

After substituting for ${f}$ and ${u}$ in terms of ${F}$ and $\{U\}$ and multiplying both sides with $[T]$ *F* can be written as Equation 14.

$$
[F] = K[T]^{-1}[U][T] \tag{14}
$$

The matrix of nodal forces were determined by substituting the values of the $\{F\}$, $[T]$ ⁻¹, $[T]$, and $\{U\}$ matrices and multiplying (Equation 15).

$$
\begin{bmatrix} F_{1x} \\ F_{1y} \\ F_{2y} \\ F_{2z} \end{bmatrix} = k \begin{bmatrix} -\sin(\theta) & \cos(\theta) & 0 & 0 \\ \sin(\theta) & \cos(\theta) & 0 & 0 \\ 0 & 0 & \cos(\theta) & \sin(\theta) \\ 0 & 0 & -\cos(\theta) & \sin(\theta) \end{bmatrix} \begin{bmatrix} -\sin(\theta) & \cos(\theta) & 0 & 0 \\ \cos(\theta) & \cos(\theta) & 0 & 0 \\ 0 & 0 & \cos(\theta) & -\cos(\theta) \\ 0 & 0 & \sin(\theta) & \sin(\theta) \end{bmatrix} \begin{bmatrix} u_{1x} \\ u_{2y} \\ u_{2z} \end{bmatrix} \tag{15}
$$

The same principle was applied for all of the members of the structure and finally the element stiffness matrices were obtained. The equation was then solved by applying boundary conditions and loads, which produced the displacement stresses.

2.2.1.2. Transient analysis

A transient dynamic analysis was used to determine the response of the boom structure under timedepended loading with inertia and damping effects. The transient analysis solution method (ANTYPE, TRANS) was dependent on the degrees of freedom. The most widely used finite element discrete

equation of motion for dynamic structures were the 2.2.3. Laboratory experiments V virtual work method given in Equation 16. equation of motion for dynamic structures were the 2.2.3. Laboratory experiments $\frac{1}{2}$ equation of motion for dynamic structures were the 2.2.3. Laboratory experiments equation of motion for dynami *2.2.1.2. Transient analysis*

y u 2

$$
[M]\{\ddot{u}(t)\} + [C]\{\dot{u}(t)\} + \{F^i(t)\} = \{F^a(t)\}\tag{16}
$$

structura damping matrix, $(v(t))$, hodar acceleration of the unit end of the transducer wavector; $\{u(t)\}$, nodal velocity vector; $\{u(t)\}$, nodal to the boom elements. The ma displacement vector; $\{F'(t)\}$, internal load vector; the load were recorded with the l Where; [M], structural mass matrix; [C] $\{\ddot{u}(t)\}$, and the definite of \ddot{t} structural damping matrix; $\{\dot{u}(t)\}$, nodal acceleration The other end of the transducer v where, μ μ μ , structural mass matrix, $\left[\nabla\right]\left(\mu\right)$ structural damping matrix; $\{\dot{u}(t)\}\$, nodal acceleration The other end of the transducer was \forall cccoi, $\{u(t)\}$, nodar ver ${F^a(t)}$, applied load vector. according to $F^a(t)$ and $F^a(t)$ are according to $F^a(t)$. $\frac{d}{dt}$

in the studential dynamics systems, the expecially designed hydraulic cylinders with the internal load is linearly proportional to the used The cylinders were driven by the hydr remains constant. Therefore, Equation 16 was output of the tractor. During the exp displacement while the structural stiffness matrix used. The cylinders were driven rewritten as Equation 17.

$$
[M]{\ddot{u}(t)} + [C]{\dot{u}(t)} + [K]{u(t)} = {Fa(t)} \qquad (17) \qquad \text{bo}
$$

$W_{\text{R}}(K) = K \left(\frac{K}{\lambda} \right)$ $W_{\text{R}}(K) = K \left(\frac{K}{\lambda} \right)$ $W_{\text{R}}(K)$ Where; $[K]{u(t)}$, structural stiffness matrix.

 $\frac{M}{\sqrt{N}}$ integration methods of the system in $\frac{M}{\sqrt{N}}$ mic gration memoris, other memoris or solving were a in didn't to the doore given ance the canonical the contract of the AN In addition to the above given direct time calibration static load data v transient problems were also included in ANSYS;
Rased on the inductive load data the Hilber Hughes-Taylor (HHT) method, and the derived equation was then In addition to the above given direct time calibration, static load data were colle-*2.2.2. ANSYS graphical modeling 2.2.2. ANSYS graphical modeling* were also included in ANSYS; such as the new method, generalized -α method, the Hilber Hughes-Taylor Newmark family of time integration algorithms. The derived equation with the New York of the service of the service of the service of the service of the service of the service of the service of the service of the service o integration methods, other methods of solving were then used as input for the ANSY such as the new method, generalized $-\alpha$ method, transient problems were also included in ANSYS;

Modeling of the system in ANSYS was started by developing the mesh structure and assuming the boundary $2.2.2$. Aryotto gruphical mode 2.2.2. ANSYS graphical modeling of det

structural stiffness matrix remains constant. Therefore, Equation 16 was rewritten as Equation 17.

Modeling of the system in ANSYS was started by developing the mesh structure and assuming the boundary conditions. The boundary conditions used in the model are shown in Table 1.

es were the *2.2.3. Laboratory experiments*

 $[M]\{\ddot{u}(t)\} + [C]\{\dot{u}(t)\} + \{F'(t)\} = \{F^a(t)\}$ (16) using the inductive transducer. This transduction is the transductive transduction of the inductive transduction of the induction of the inductive transduction of the induct Where; [M], structural mass matrix; [C] { $\ddot{u}(t)$ }, isom with a specially constructed screw profile. ${F^a(t)}$, applied load vector. acquisition card on the computer. For the upward $\frac{1}{2}$ (*i*), applied ioad vector.
In linear structural dynamics systems, the and downward movements of the boom structure, rewritten as Equation 17.
bars was used. To measure the static loads on the $[M]\{\ddot{u}(t)\} + [C]\{\dot{u}(t)\} + [K]\{u(t) = \{F^a(t)\}\}$ (17) boom structure and the joints, calibrations were Where; $[K]\{u(t)\}$, structural stiffness matrix. of the 9 meters long boom structure. Following k method given in Equation 16. The loads on the boom joints were measured by elocity vector; $\{u(t)\}$, nodal to the boom elements. The measurements of vector; $\{F'(t)\}\$, internal load vector; the load were recorded with the NI 6009 data in the student dynamics systems, the especially designed hydraulic cylinders were tructural stiffness matrix
cutput of the tractor. During the experiments, the (17) boom structure and the joints, canonicins were made by hanging known weights on three points. $\mu_{\text{H}}(\mu(t))$, such also included summers matrix. of the 9 meters long boom structure. Following the $[M]{\overline{u}(t)} + [C]{\overline{u}(t)} + {F'(t)} = {F''(t)}$ (16) using the inductive transducer. This transducer is $[M]\{u(t)\} + [C]\{u(t)\} + \{t'(t)\} = \{t''(t)\}$ (10) attached at the center of 30 millimeters diameter [*M*]{*u*(*t*)} [*C*]{*u*(*t*)} {*F* (*t*)} {*F* (*t*)} *ⁱ ^a* (16) The other end of the transducer was then attached In linear structural dynamics systems, the and downward movements of the bosonecially designed hydraulic cy mains constant. Therefore, Equation 16 was
tractor hydraulic system output pressure of 120 Where; [M], structural mass matrix; [C] $\{\ddot{u}(t)\}$, isom with a specially constructed screw profile. $\frac{16}{\text{erffore}}$ Equation 16 was output of the tractor. During the experiments, the $\frac{1}{2}$ and $\frac{1}{2}$ above given direct time integration methods, other methods of solving transient problems of solving transient problems of solving transient problems of solving transient problems of $\frac{1}{2}$ and reference alibration, static load data were collected. The data - method, the hilber Hughes-Taylor Hughes-Taylor and the data used. The cylinders were driven by the hydraulic were then used as input for the ANSYS modeling.

> $MMSYS$; Based on the inductive load data from the known $\frac{1}{2}$ enew method, generalized $-\alpha$ method, masses a calibration equation was developed. The flor $(HH1)$ method, and the derived equation was then used in the Labview Newmark family of time integration algorithms. program. The derived equation with the coefficient $\frac{1}{\alpha f}$ denotes use of $\frac{1}{\alpha}$. conditions. The boundary conditions used in the model are shown in Table 1. of determination (R^2) value of 0.99 is shown in Equation 18.

$$
y = 11.304x + 0.8952\tag{18}
$$

Where; *y*, force (N) measured with the load sensor and x , known mass (kg).

Çizelge 1- Kullanılan ANSYS modeli üzerindeki sınır koşulları

Based on the calibration equation in the computer program, the unknown force values were obtained in 5 milliseconds intervals.

3. Results and Discussion

3.1. Results

The results of the ANSYS structural analyses are given in Table 2 and Figures 4. Based on the loads on the boom structure, static and transient analyses were performed in ANSYS environment. Total deformation, equivalent stress and safety factor values on aluminum and steel boom structures were obtained from the analyses. Based on the static analysis that the total deformation on the aluminum structure was 27 mm, total stress was 189 MPa and the minimum critical safety factor was 0.45. On the other hand, the total deformation on the steel structure was 19 mm, total stress was 399.67 MPa and the minimum safety factor was 0.21.

In addition to the structural analysis, a transient analysis was also conducted. The critical values of the transient analysis are tabulated in Table 3. The transient analyses showed that the total deformation, equivalent stress and safety factor values for both aluminum and steel were obtained at 0.0025 s, 0.5 s and 1.0 s, respectively. For both materials, the critical safety factor values were obtained at 1.0 s. Transient analyses also showed that for aluminum structure, the total deformation was 29.33 mm, total stress was 220 MPa and the critical minimum safety factor was 0.39. For steel structure, these values were as 31.14 mm, 664 MPa and 0.12, respectively.

3.2. Discussion

According to the structural and transient analyses, aluminum boom material produced greater factor of safety than steel, which is the better material of the two for field sprayer boom construction. This is due to the fact that aluminium is lighter in weight because of the internal molecular and mechanical properties (Kuziak et al 2008).

The critical points of failure observed during laboratory experiments overlapped with the critical

Table 2- Static analysis results

Çizelge 2- Statik analiz sonuçları

Table 3- Transient analysis results

Çizelge 3- Zamana bağlı analiz sonuçları

Bir Tarla Pülverizatör Bumunun Yapısal Analizi, Koc

Figure 4- A, steel material static analysis total deformation; B, steel material static analysis equivalent stress; C, steel material static analysis safety factor

Şekil 4- A, çelik malzeme static analiz güvenlik faktörü; B, çelik malzeme statik analiz toplam yer değişimi; C, çelik malzeme static analiz eş değer gerilme

Tarım Bilimleri Dergisi - Journal of Agricultural Sciences 23 (2017) 147-155 **153**

points identified by the ANSYS analysis. The failure points of the boom structure observed during experimental activities as shown in Figure 5. The point of failure was also identified during designing the boom.

Figure 5- Sprayer boom failure point during experiments

Şekil 5- Denemeler sırasında pülverizatör bumu üzerinde görülen kopma

The same points of failures were also identified by the modeling and analysis using ANSYS prior to experimental failures for both steel and aluminum boom materials. Thus, instead of materials (aluminum or steel), boom design should be renewed. For this purpose, dismountable joint aluminum alloy material can be used.

Due to the higher strength of aluminum, one can say that aluminum is better than steel for boom construction. Moreover, the lighter weight of aluminum has an advantage to save fuel consumption of tractors due to the lower loads on the tractor carrying the field sprayer.

Zhou et al (2011) reported that vehicles made of aluminum were lighter than the ones made of steel hence improving the fuel efficiency. One of the problems for field sprayer booms is the collision with

the ground and the breakdown of boom structures during field operations. Materials with higher spring properties are desired to reduce the breakdown due to collisions with the ground. The solution used by the automobile industry to solve this problem, which is using aluminum and Advanced High Strength Steels (AHSS) can be adapted for boom manufacturing too. The workability of aluminum is also better than that of steel. Nowadays, lighter weight with high strength like the AHSS can be used as an alternative to aluminum for boom manufacturing (Anonymous 2015c). Although the price of aluminum is expensive than that of steel by at least 30%, aluminum has many other advantages than steel that it is preferred as a boom material.

4. Conclusions

According to this research, it is concluded that field sprayer booms constructed from aluminum are better than steel constructed booms. During the experiments, it was observed that the critical point of failure of the booms is at the universal joint connection of the boom wings to each other. The critical point of failure of the booms found during the experimental analysis was the same point found by using the structural and transient ANSYS analysis of the system. From this research, it can be concluded that maximum care must be given to the critical point of failures mentioned above during the design of field sprayer booms.

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